

Emerging methods for post-processing

Michael Scheuerer

NOAA/ESRL, Physical Sciences Division

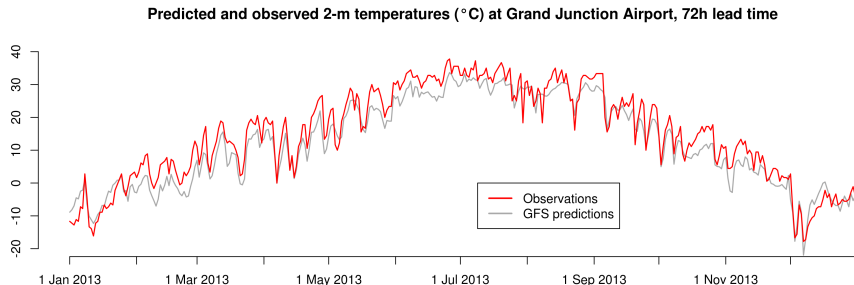
January 2016



Why statistical post-processing?

Despite continuous improvements to numerical weather prediction (NWP) systems, certain forecasts still suffer from systematic biases:

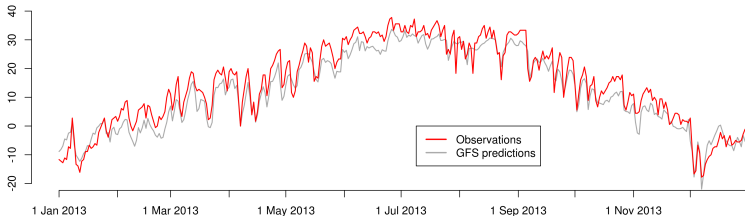
- ▶ insufficient model resolution
- ▶ less-than-optimal initial conditions
- ▶ etc.



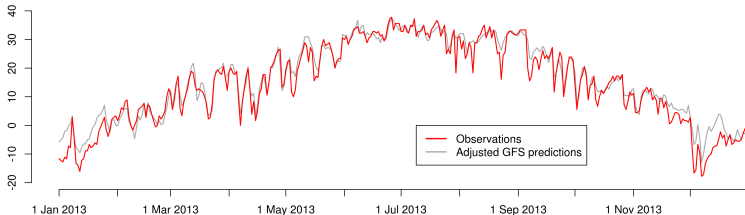
Why statistical post-processing?

Statistical post-processing removes biases and improves forecast accuracy:

Predicted and observed 2-m temperatures (°C) at Grand Junction Airport, 72h lead time



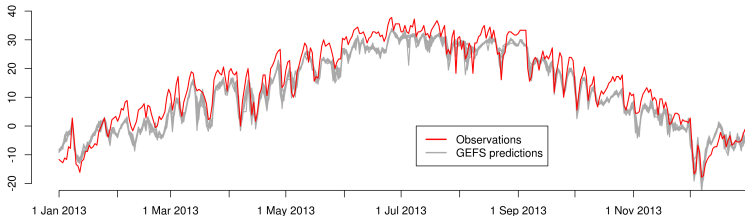
Predicted and observed 2-m temperatures (°C) at Grand Junction Airport, 72h lead time



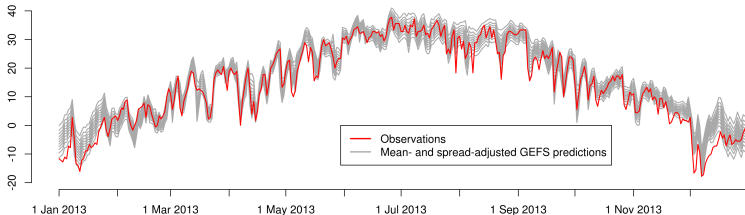
Why statistical post-processing?

For ensembles, the spread needs to be adjusted in addition to the mean:

Predicted and observed 2-m temperatures (°C) at Grand Junction Airport, 72h lead time



Predicted and observed 2-m temperatures (°C) at Grand Junction Airport, 72h lead time



Multivariate post-processing

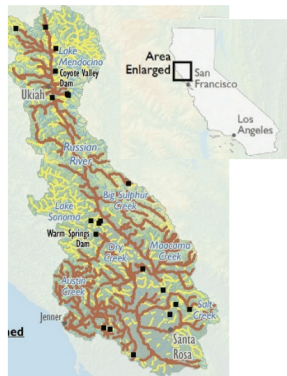
In some applications, accounting for dependence between

- ▶ different variables
- ▶ different forecast lead times
- ▶ different locations

is crucial for the reliability of the quantity of interest.

Example:

Average precipitation accumulations over seven stations in the Russian River basin.

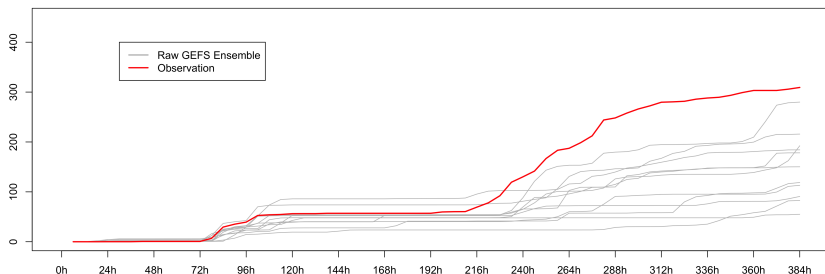


We calibrate GEFS ensemble forecasts of 6-h precipitation accumulations up to day 15 and study the corresponding plume diagrams.

Example: Need for multivariate post-processing

Accumulated average precipitation over the Russian River basin, starting from 9 January 2010, 06 UTC.

a) Raw ensemble forecasts:

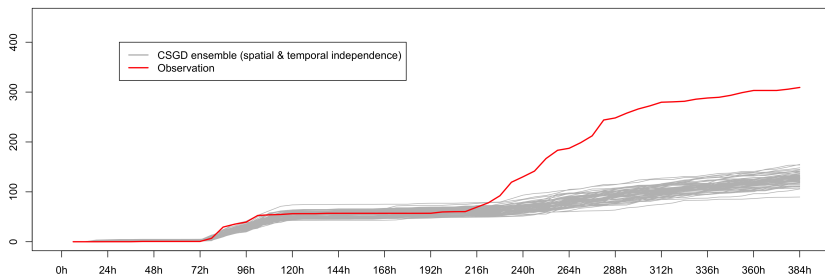


At longer lead times, the ensemble forecasts are overconfident; here, all members underestimate the precipitation amounts after day 9 and the observation plume lies way outside the ensemble range.

Example: Need for multivariate post-processing

Accumulated average precipitation over the Russian River basin, starting from 9 January 2010, 06 UTC.

b) CSGD method, no modelling of spatial and temporal dependence:

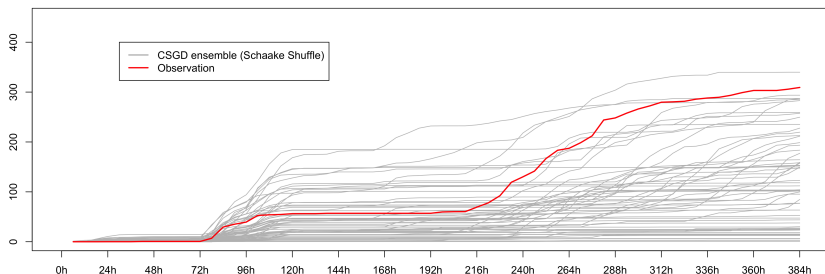


Even though the CSGD method yields reliable and sharp predictions *at every location* and *for every 6-h period individually*, the spatially averaged and temporally accumulated precipitation forecasts are underdispersive.

Example: Need for multivariate post-processing

Accumulated average precipitation over the Russian River basin, starting from 9 January 2010, 06 UTC.

c) CSGD method & Schaake Shuffle:

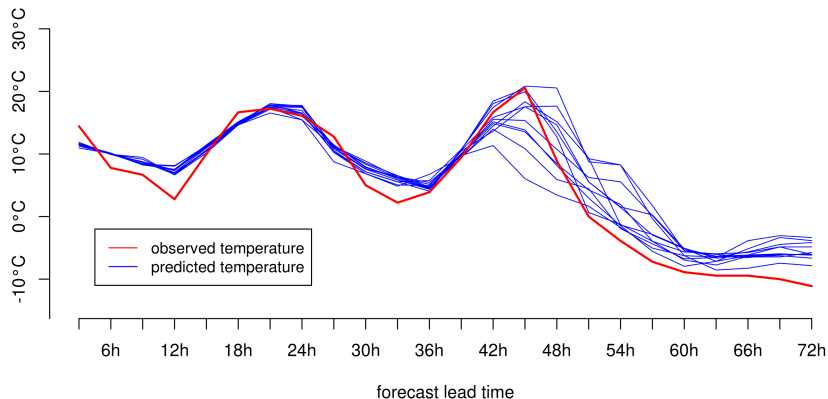


Performing an additional post-processing step to restore spatial and temporal dependence of forecast errors results in increased ensemble spread and thus in a better representation of forecast uncertainty.

Multivariate post-processing

Consider a probabilistic forecast of a multivariate quantity, where multivariate may refer to different variables, or the same variable at different time points and/or locations in space.

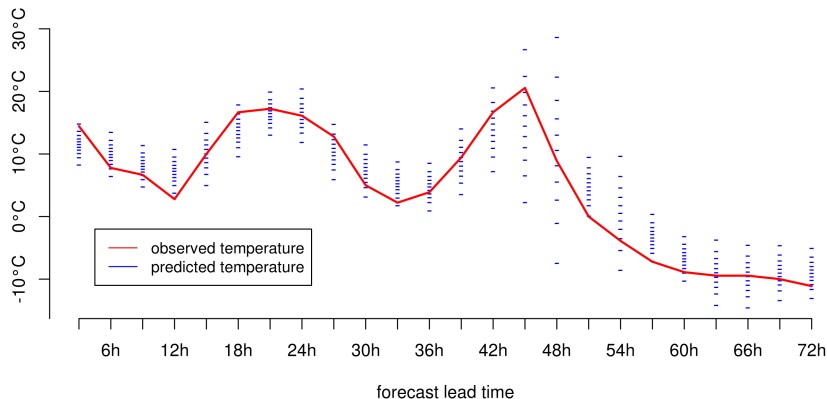
Example: Temperature forecasts at Denver for lead times up to 72-h



Multivariate post-processing

Applying the post-processing techniques discussed above yields calibrated forecasts at each lead time separately. How can we re-create forecast trajectories with adequate temporal correlations?

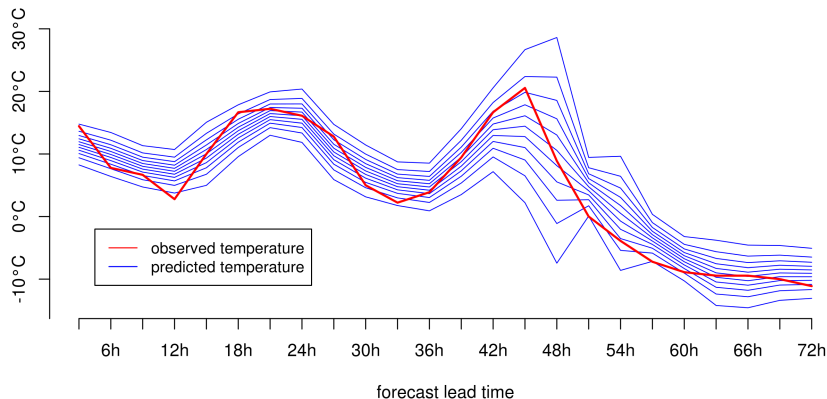
Example: Temperature forecasts at Denver for lead times up to 72-h



Multivariate post-processing

Applying the post-processing techniques discussed above yields calibrated forecasts at each lead time separately. How can we re-create forecast trajectories with adequate temporal correlations?

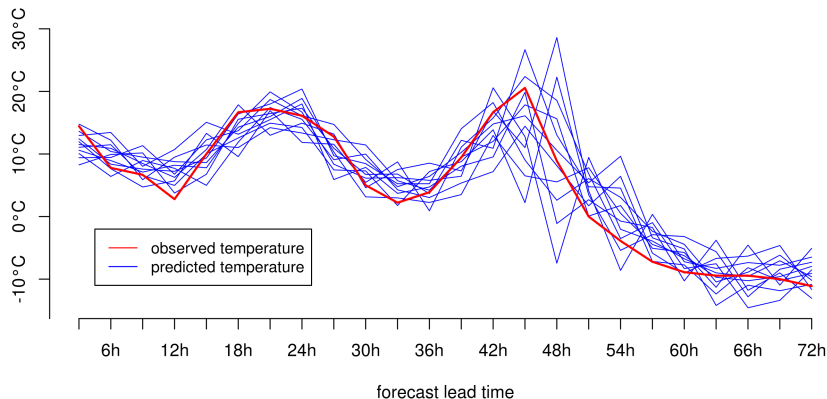
Example: Temperature forecasts at Denver for lead times up to 72-h



Multivariate post-processing

Applying the post-processing techniques discussed above yields calibrated forecasts at each lead time separately. How can we re-create forecast trajectories with adequate temporal correlations?

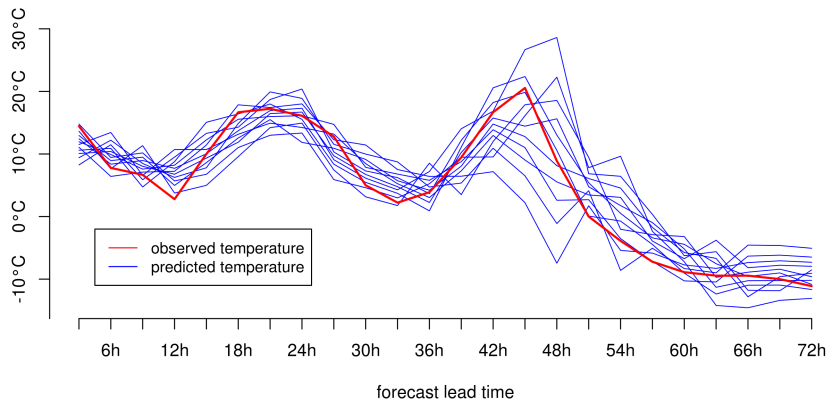
Example: Temperature forecasts at Denver for lead times up to 72-h



Multivariate post-processing

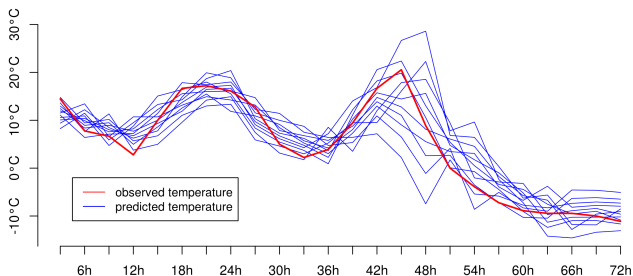
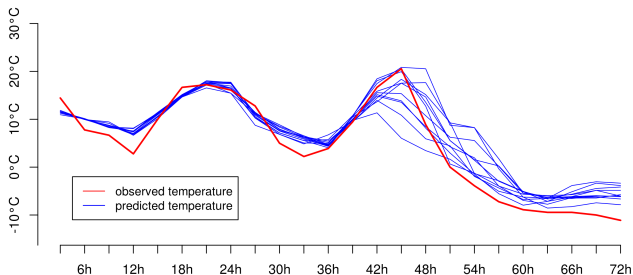
Applying the post-processing techniques discussed above yields calibrated forecasts at each lead time separately. How can we re-create forecast trajectories with adequate temporal correlations?

Example: Temperature forecasts at Denver for lead times up to 72-h



Using multivariate information from raw ensemble forecasts

Ensemble copula coupling (ECC):



Idea: retain the ordering (and thus the rank correlations) of the raw ensemble forecasts but replace their values by those derived from the calibrated marginal distributions.

Special case:
member-by-member calibration

Using multivariate information from past observations

Schaake Shuffle:

Proceed as with ECC, but use the rank order of *past observations at the same or similar days of the year* instead of the ranks of today's ensemble forecasts.

Similarity-based Schaake Shuffle:

Use again observation ranks but select the historic dates based on similarity of the respective forecasts.

Statistical dependence models:

Fit a statistical dependence model (Gaussian copulas, Gaussian random fields) using forecast error statistics at historic dates.

Two main approaches for multivariate post-processing

1. Use multivariate information from raw ensemble forecasts

- + flow-dependent, physics-based correlations
- + potentially different correlations for different forecast magnitudes
- spurious correlations in the raw ensemble may be amplified
- multivariate features that are not resolved by the NWP model are not accounted for
- ensemble size limits the representativeness of multivariate features

Two main approaches for multivariate post-processing

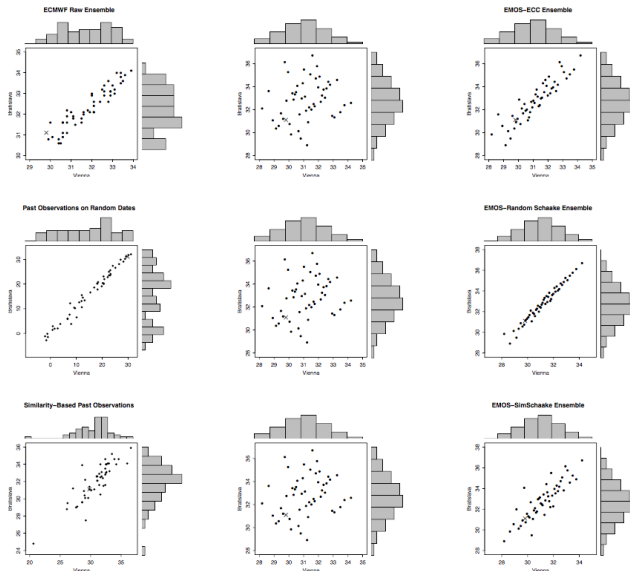
1. Use multivariate information from raw ensemble forecasts

- + flow-dependent, physics-based correlations
- + potentially different correlations for different forecast magnitudes
- spurious correlations in the raw ensemble may be amplified
- multivariate features that are not resolved by the NWP model are not accounted for
- ensemble size limits the representativeness of multivariate features

2. Use multivariate information from past observations

- + more realistic error structures
- + downscaling of dependence information
- multivariate information is not flow-dependent
- extra efforts are required to model correlations that depend on the forecast magnitude

Bivariate example: ECC vs. Schaake vs. SimSchaake



24 hour ahead
EMOS-calibrated
temperature
forecasts (in °C)
at Vienna and
Bratislava valid
on 9 July 2011,
1200 UTC.

Image courtesy
of Roman
Schefzik.

Probabilistic forecasts of rare events

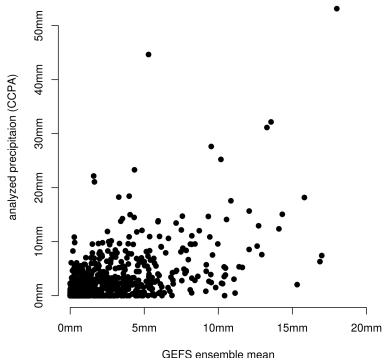
For some weather variables, we are often interested in particular events (e.g. “rainfall amounts exceed 10mm”).

These event probabilities can be modeled directly, e.g. via logistic regression:

$$\text{logit}(P(y > 10\text{mm})) = \beta_0 + \beta_1 \cdot x$$

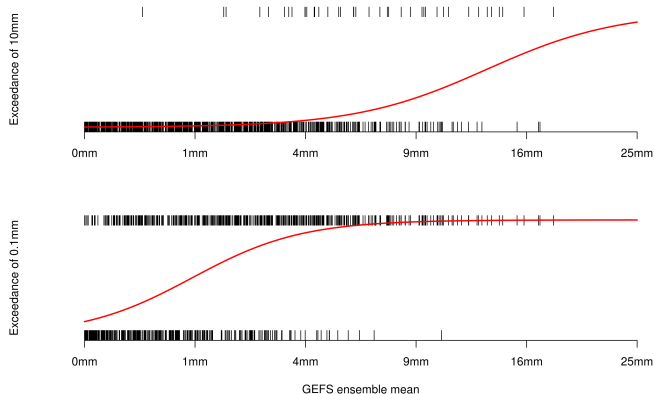
Example:

60 to 72-h Precipitation accumulations over Seattle during the winter season.



Probabilistic forecasts of rare events

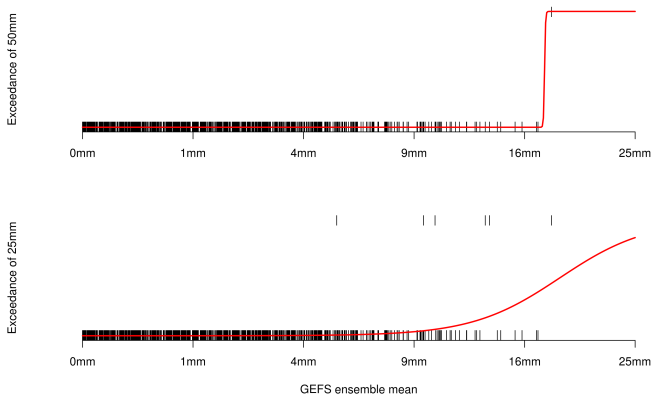
Fitting a logistic regression model for high thresholds becomes increasingly difficult:



Parametric assumptions can mitigate the problems that come with modeling rare events, but limited training sample size remains a concern.

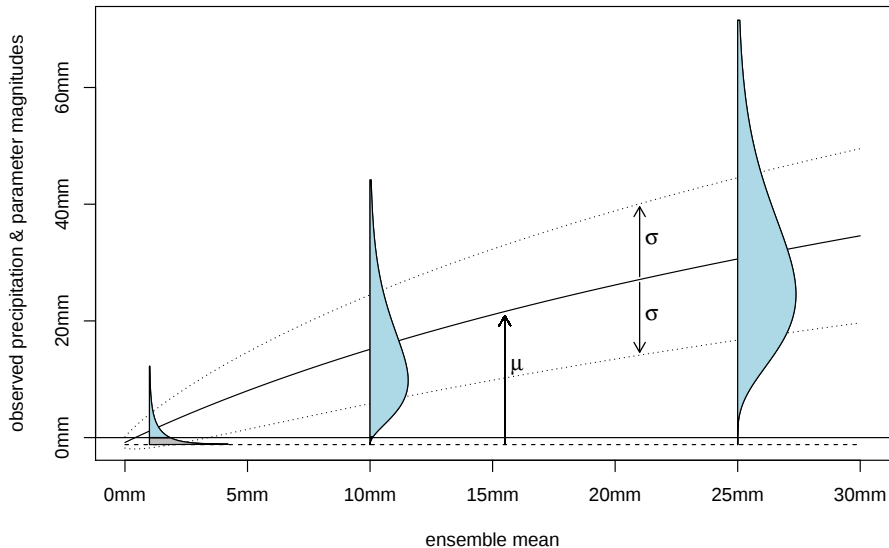
Probabilistic forecasts of rare events

Fitting a logistic regression model for high thresholds becomes increasingly difficult:



Parametric assumptions can mitigate the problems that come with modeling rare events, but limited training sample size remains a concern.

Example of the parametric CSGD model



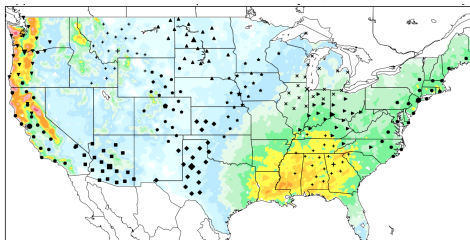
Options for getting a sufficiently large training sample

1. Reforecasts!

- + no compromises, no biases
- + ideally cover several years, thus variations in climatology
- expensive

2. Regional post-processing, supplemental locations, random field models that link locations statistically

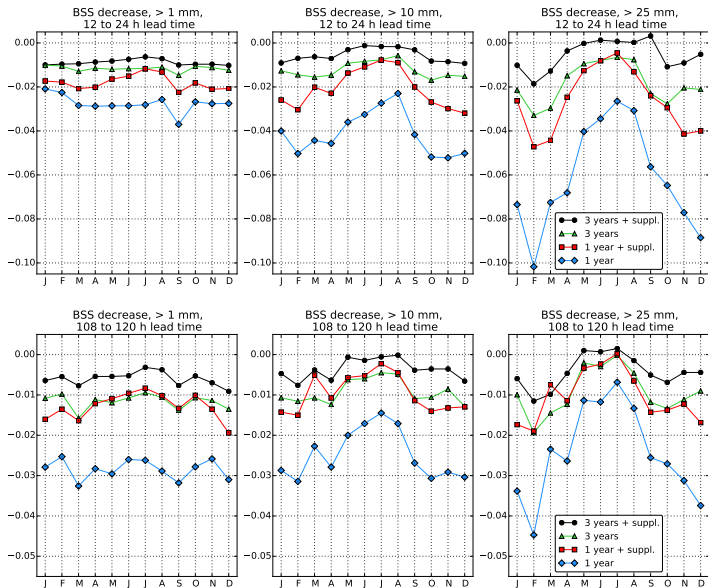
- + can reduce the need for reforecasts
- linking/combining less than perfectly similar locations entails biases



0 1 2 4 7 10 15 20 25 30 40 50 60
Forecast precipitation amount, 95th percentile (mm)

Image courtesy of Tom Hamill

Example: Loss of skill relative to a 11-year training sample



Brier skill scores for the CSGD post-processing method for precipitation amounts.

New variables/products: How far should NOAA go?

WPC Probabilistic Winter Precipitation Guidance

Product Selection

Precipitation Type

- ☒ Snow
- ☐ Freezing Rain

Forecast Product

- ☐ Probability Forecasts
- ☒ Accumulation by Percentile

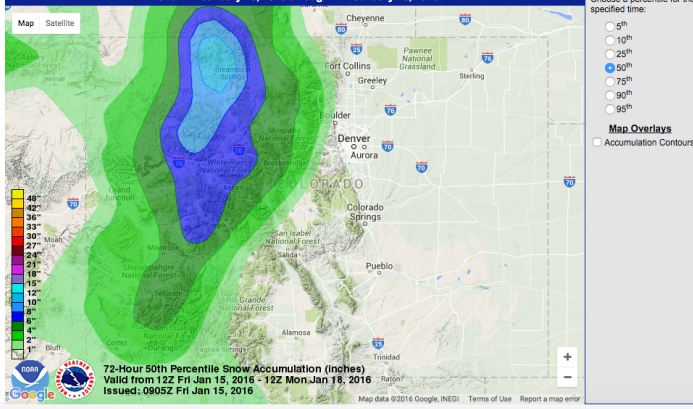
Forecast Duration

- ☐ 24-Hour
- ☐ 48-Hour
- ☒ 72-Hour

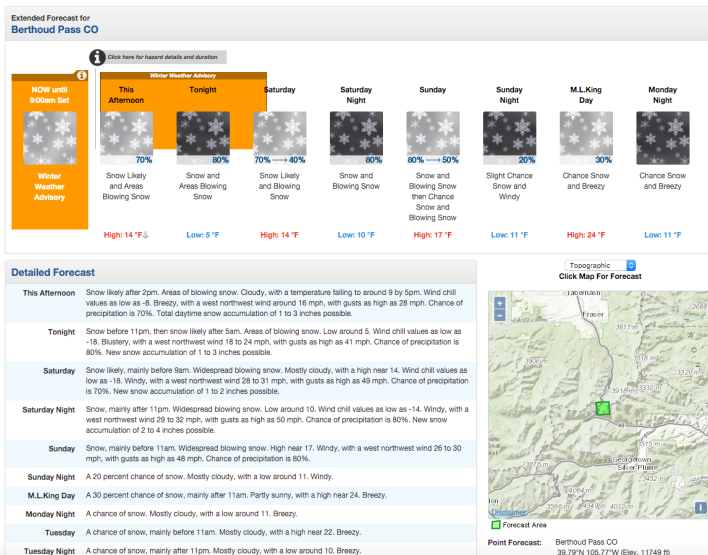
User Interface

- ☒ Google Maps
- ☐ GIF Images

72-Hour Snowfall Accumulation - 50th Percentile Valid 12Z January 15, 2016 through 12Z January 18, 2016



New variables/products: How far should NOAA go?

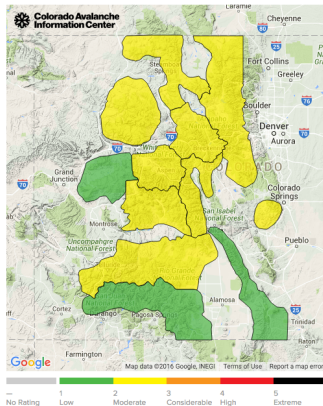


New variables/products: How far should NOAA go?

Avalanche danger is basically a function of

- ▶ snowfall
- ▶ temperatures
- ▶ wind speed and direction
- ▶ (air pollution)

over a series of several days.

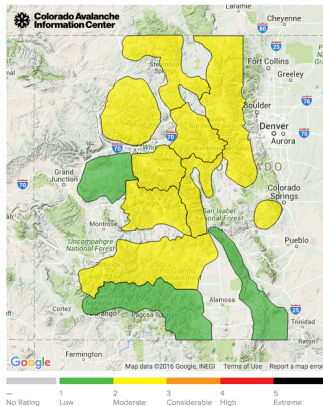


New variables/products: How far should NOAA go?

Avalanche danger is basically a function of

- ▶ snowfall
- ▶ temperatures
- ▶ wind speed and direction
- ▶ (air pollution)

over a series of several days.



Could a machine learning method keep track of these variables and produce more highly resolved maps of avalanche danger?

Could / should avalanche danger be predicted with a lead time of several days to inform skiers / ski resort managers / rescuers?

Literature I



Schefzik, R., Thorarinsdottir, T.L., and Gneiting, T.

Uncertainty quantification in complex simulation models using ensemble copula coupling.
Stat. Sci., 28:616–640, 2013.



Clark, M., Gangopadhyay, S., Hay, L., Rajagopalan, B., and Wilby, R.

The Schaake shuffle: A method for reconstructing space-time variability in forecasted precipitation and temperature fields.
J. Hydrometeor., 5:243–262, 2004.



Schefzik, R.

A similarity-based implementation of the Schaake shuffle.
preprint, <http://arxiv.org/pdf/1507.02079.pdf>



Scheuerer, M. and Hamill, T.M.

Statistical post-processing of ensemble precipitation forecasts by fitting censored, shifted Gamma distributions.
Mon. Wea. Rev., 143:4578–4596, 2015.



Hamill, T.M., Scheuerer, M. and Bates, G.T.

Analog probabilistic precipitation forecasts using GEFS Reforecasts and Climatology-Calibrated Precipitation Analyses.
Mon. Wea. Rev., 143:3300–3309, 2015.