



# Why are stochastic parameterizations appealing?

Workshop on Parameterization of Moist Processes for  
next-Generation Weather prediction

Jan 27-29, 2015

Judith Berner



# Why are conventional parameterizations dicey?

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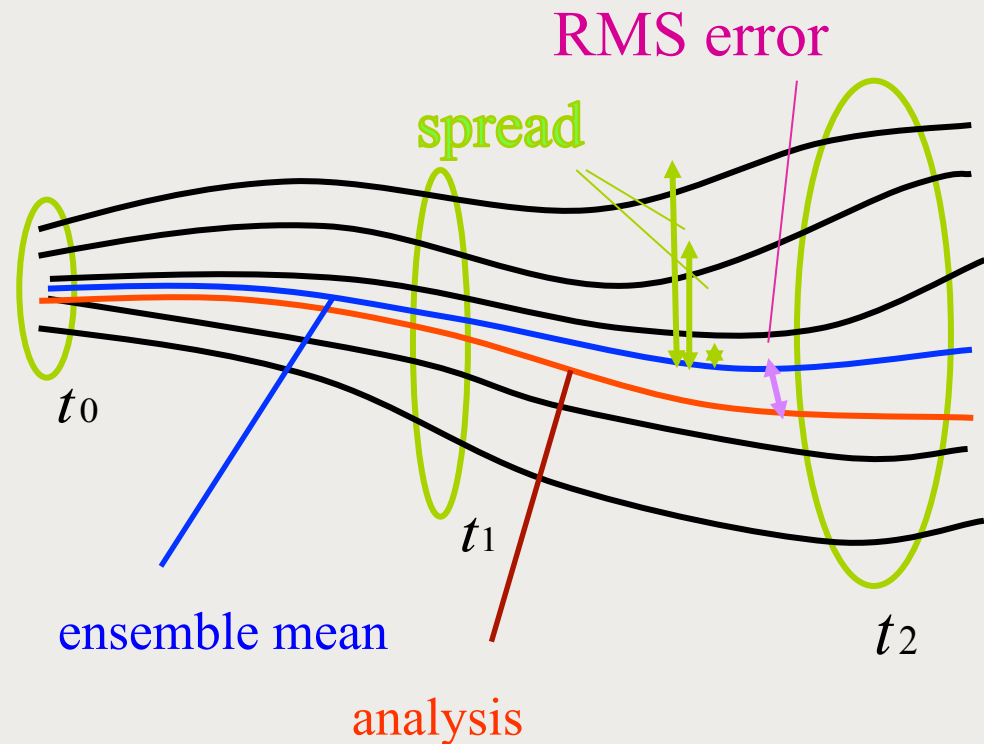
Judith Berner

# Motivation for stochastic parameterizations

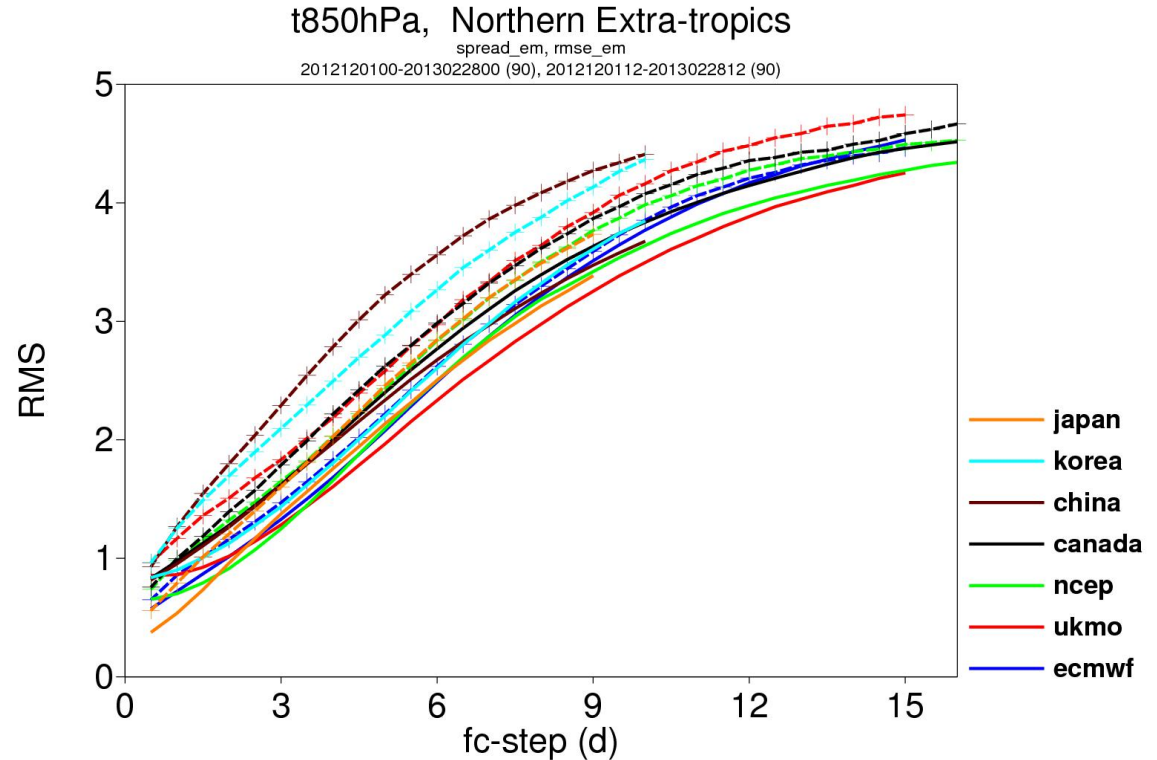
- Unreliable and over-confident ensemble forecasts
- Breakdown of quasi-equilibrium assumption at small scales
- Persistent systematic errors (e.g. blocking)
- Scale-aware parameterization

# Representing initial uncertainty by an ensemble of states

- Represent initial uncertainty by ensemble of states
- Flow-dependence:
  - Predictable states should have small ensemble spread
  - Unpredictable states should have large ensemble spread
- ***Ensemble spread should grow like RMS error***
- True atmospheric state should be indistinguishable from ensemble system

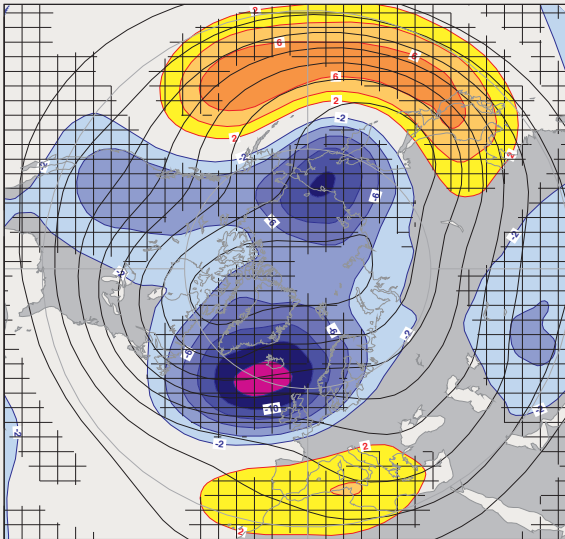


# Spread and error, T850 over NH, for winter 2012-13 (90 cases)



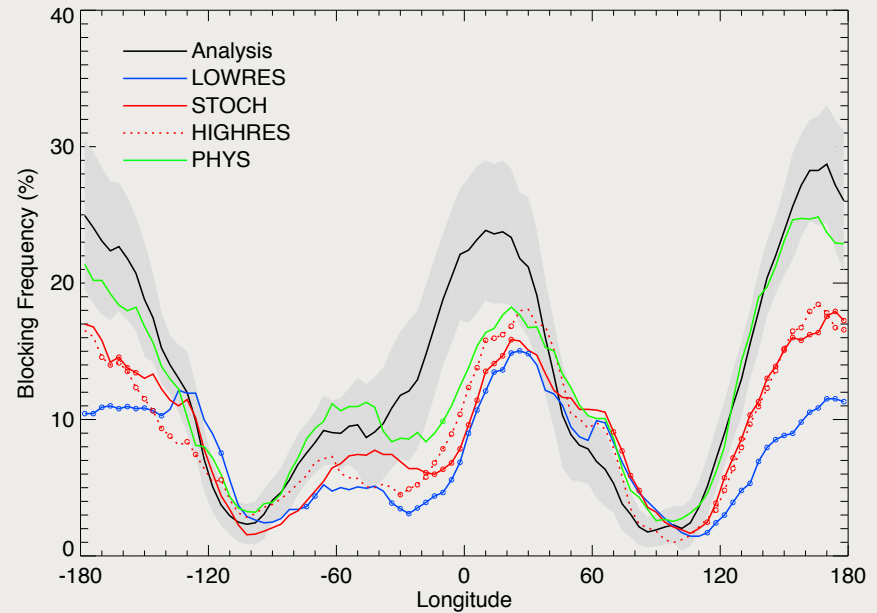
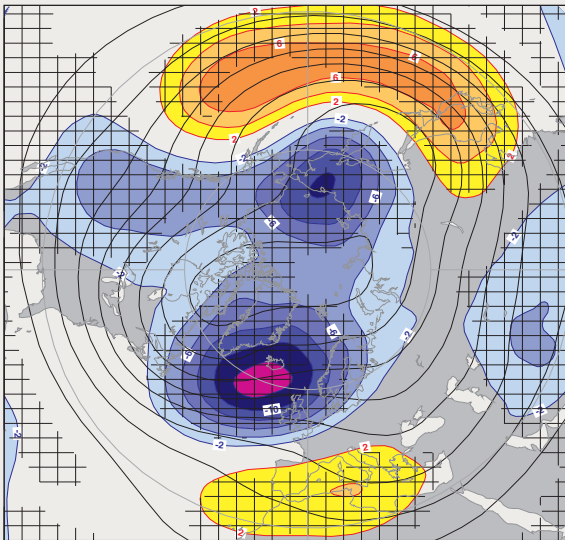
# Mean systematic error of 500 hPa geopotential height fields

z500 bias in IFS  
CY31R1, T95



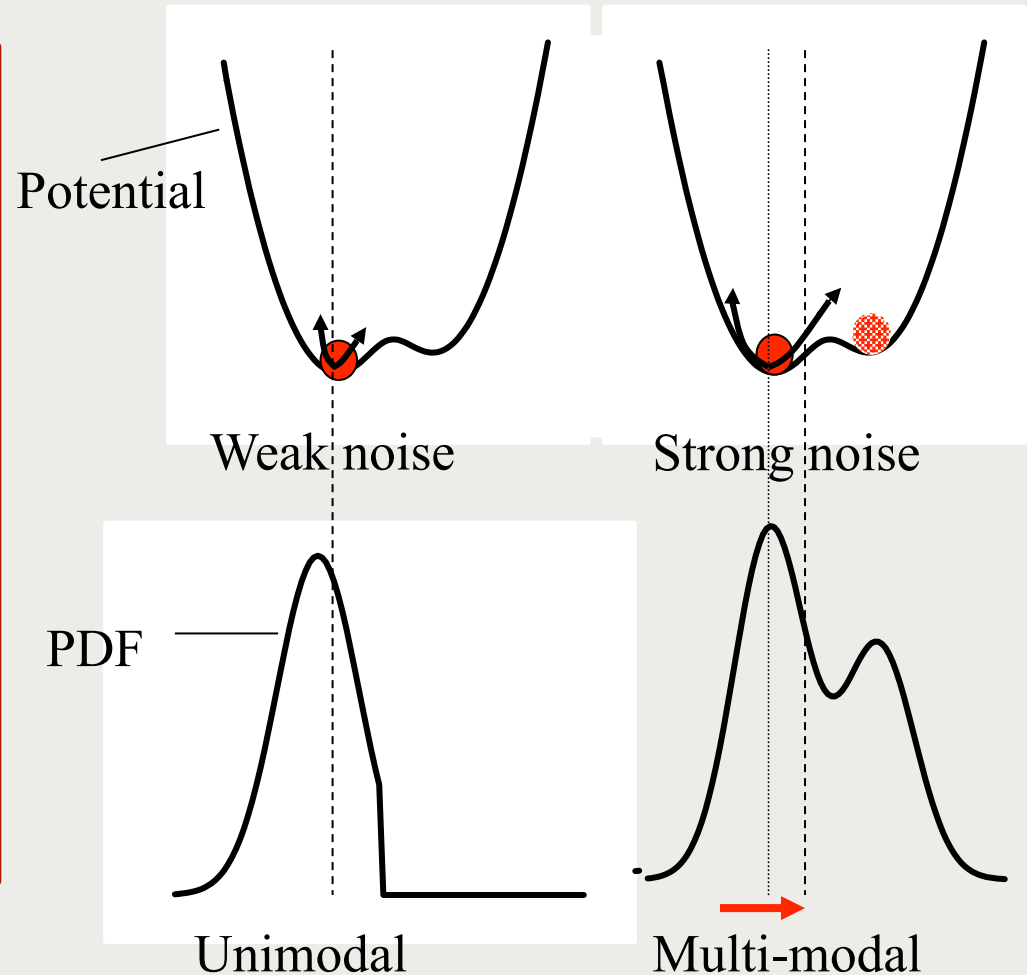
# Mean systematic error of 500 hPa geopotential height fields

z500 bias in IFS  
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# Potential to reduce model error

- Stochastic parameterizations can change the mean and variance of a PDF
- Impacts variability of model (e.g. internal variability of the atmosphere)
- Impacts systematic error (e.g. blocking precipitation error)





# Stochastic parameterization schemes

## Stochastic kinetic-energy backscatter scheme (SKEBS)

- Rationale: A fraction of the dissipated kinetic-energy is scattered upscale and acts as forcing for the resolved flow (Shutts, 2005, Berner et al. 2009, 11, 12, 14)

## Stochastically perturbed parameterization scheme (SPPT)

- Rationale: Especially as resolution increases, the equilibrium assumption is no longer valid and fluctuations of the subgrid-scale state should be sampled (Buizza et al. 1999, Palmer et al. 2009, Berner et al. 2014)

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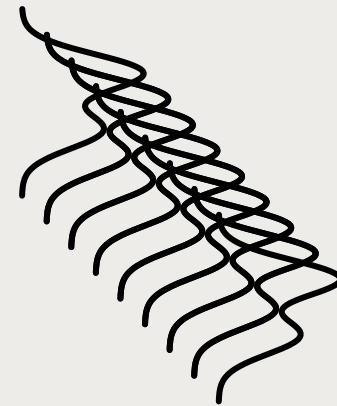
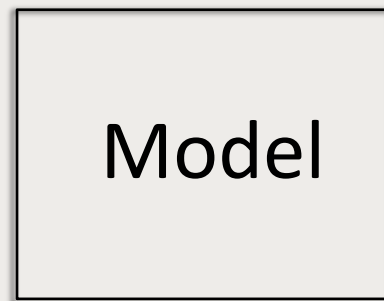
Operational at ECMWF, UK Metoffice,  
Tested in WRF, CMC

## Stochastically perturbed parameterization scheme (SPPT)

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Operational at ECMWF, UK Metoffice  
Tested at DWD, Swiss Met service, Spanish Metservice

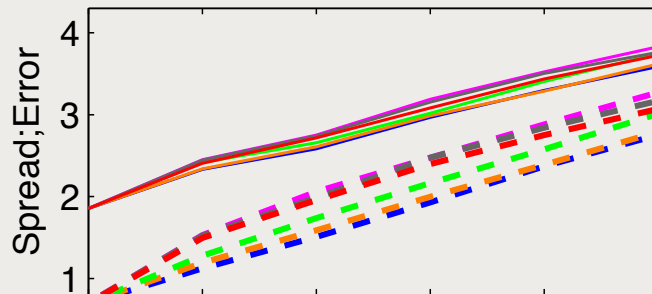
# Perturbations added a posteriori



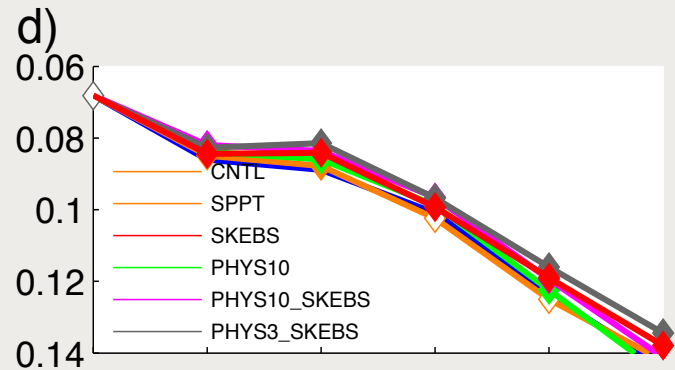
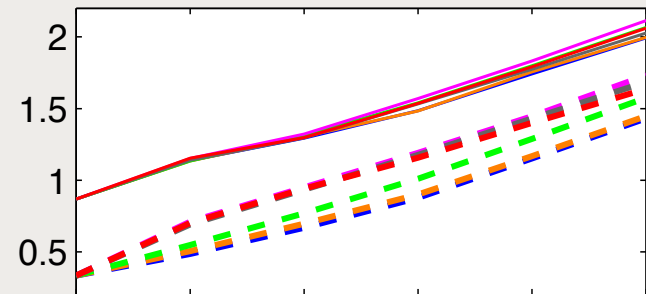
Forecast  
Uncertainties

# Stochastic parameterizations increase skill

a) Zonal Wind U at 700hPa



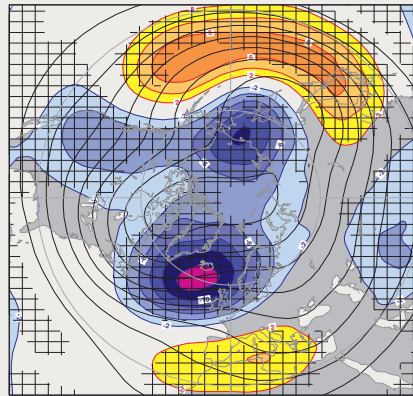
b) Temperature T at 700hPa



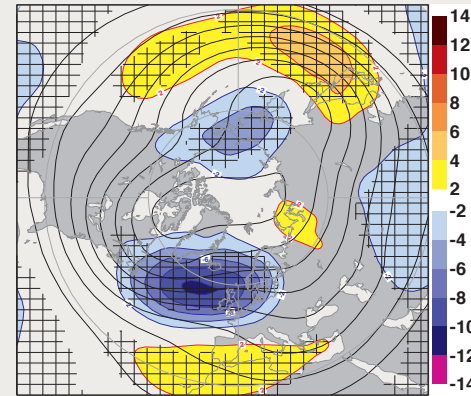
Berner et al., 2015

# Mean systematic error of 500 hPa geopotential height fields

LOWRES

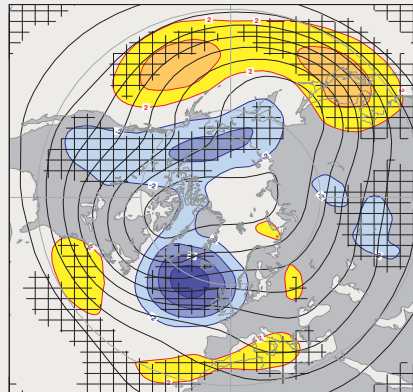


b)

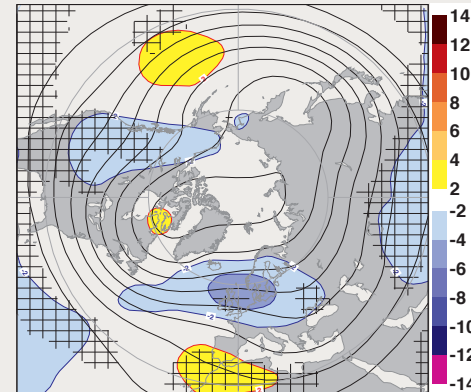


SKEBS

HIGHRES



d)



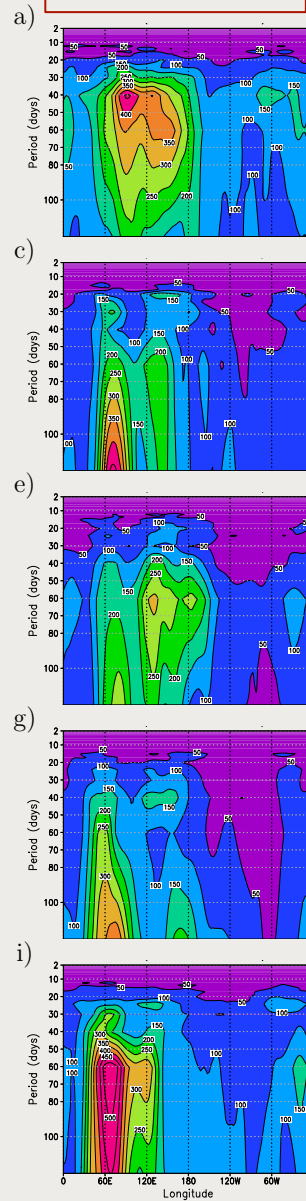
PHYS

- Reduction of z500 bias in all simulations with model-refinement
- Degenerative response

Berner et al., 2012

# Power spectra of tropical velocity potential anomalies at 200 hPa

1990-2005



Obs

LOWRES

SKEBS

HIGHRES

PHYS

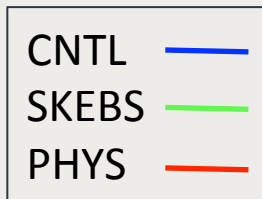
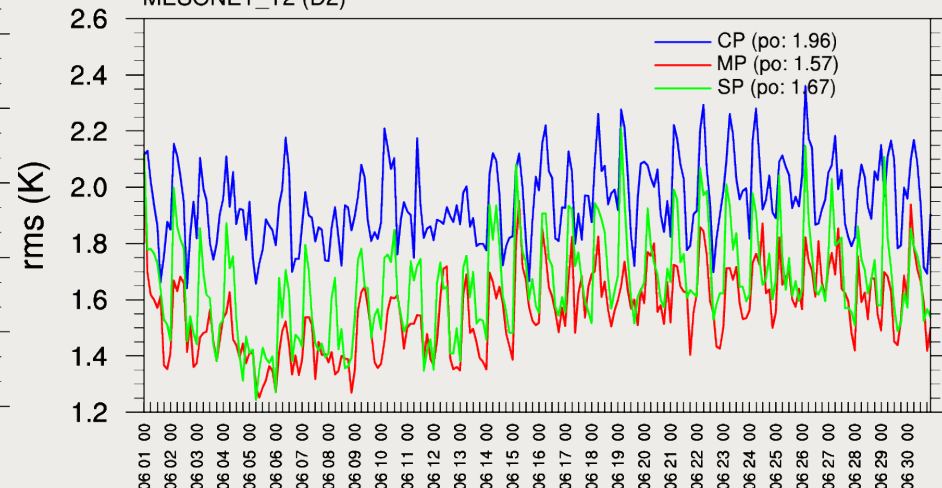
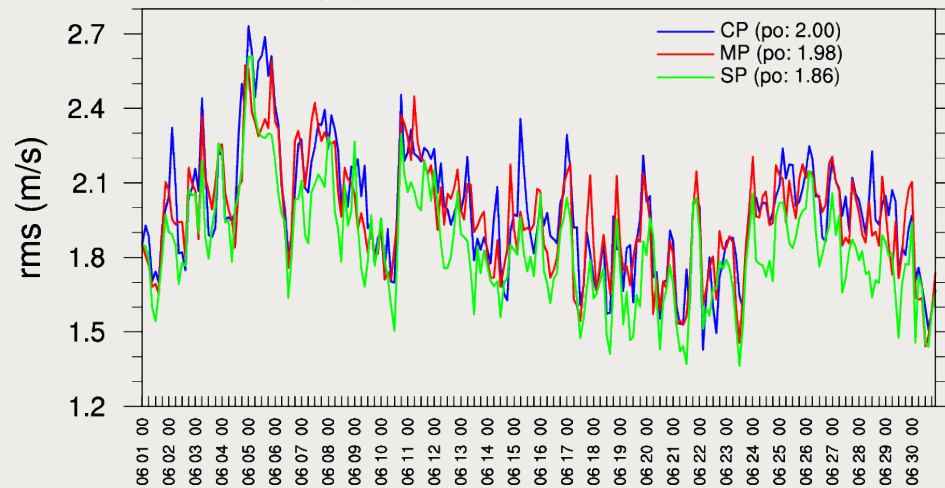
# Verification of surface analysis against independent observations

## V-10m


## T-2m

MESONET\_V10 (D2)

MESONET\_T2 (D2)

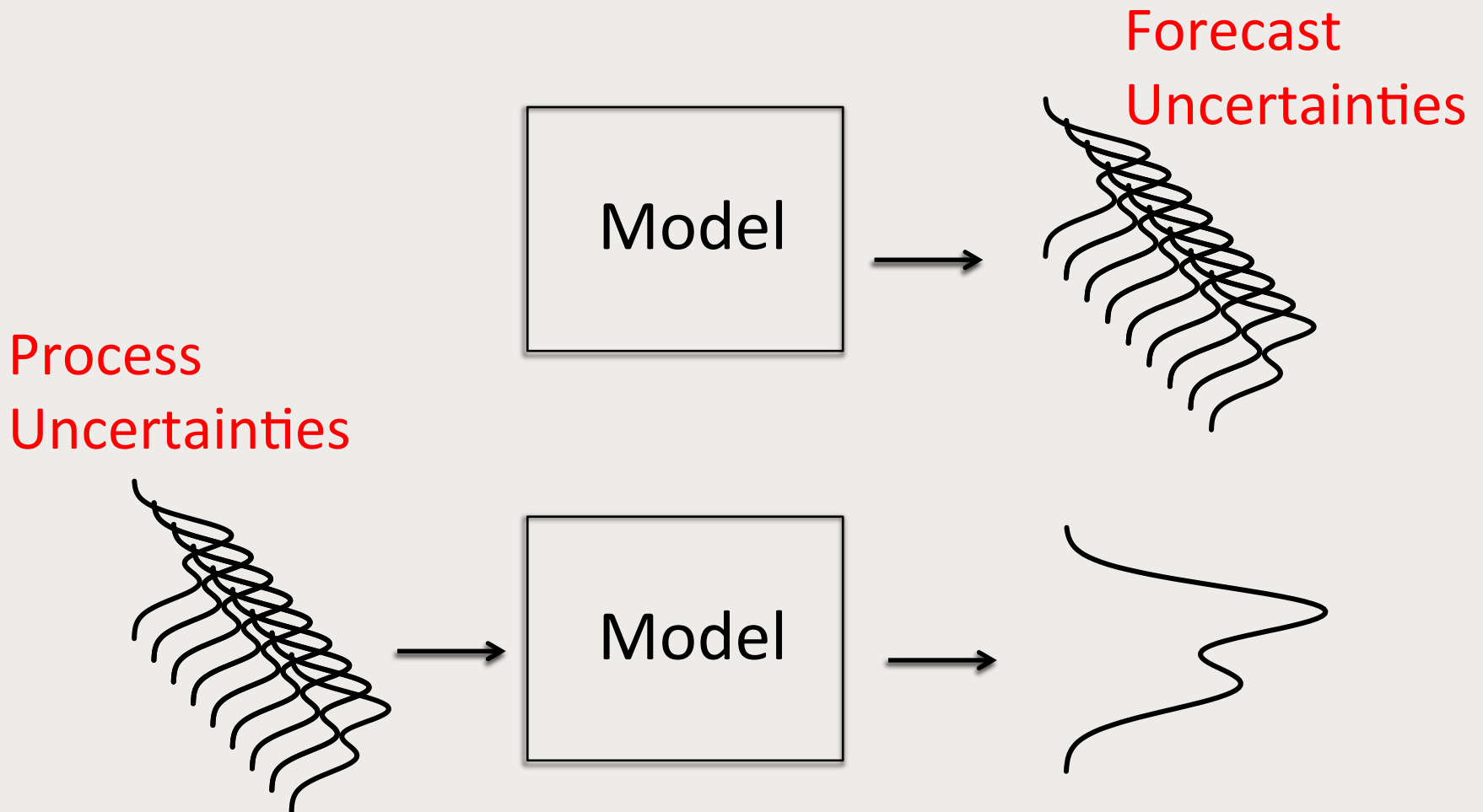


- Including a model-error representation reduces the RMS error of the surface analysis
- **SKEBS** has smallest error for 10m-wind; **PHYS** for 2m temperature

- 
- Chris Bretherton “Computational efficiency is not an afterthought”
  - “Uncertainty assessment is not an afterthought”



# A priori vs a posteriori



# A priori vs a posteriori

- ➔ If you develop a parameterization, I urge you to develop an uncertainty scheme alongside – OTHERWISE I WILL ...

... and you  
don't  
want that!

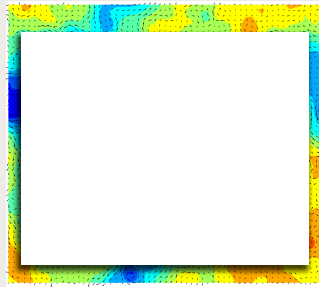
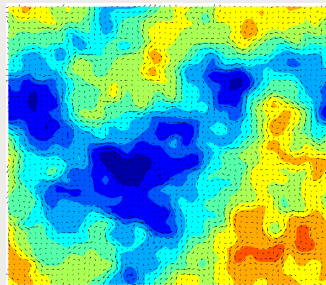
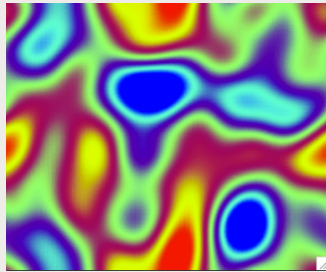


# Your Parameterization scheme

... and you  
don't  
want that!



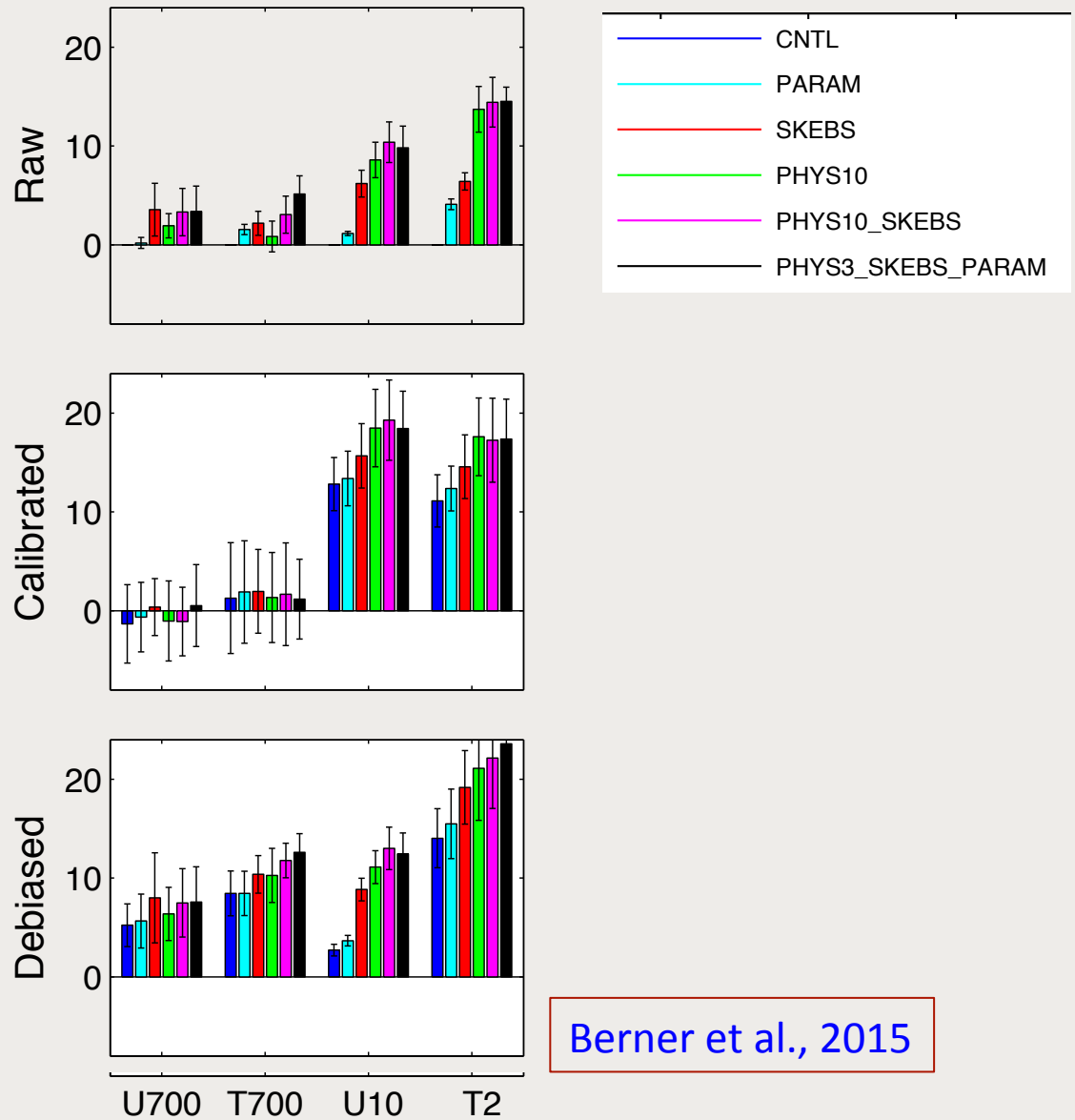
# WRF<sub>3.7</sub>: Random Fields



- Random pattern can be used to perturb user specific fields, e.g., lower boundary conditions or parameters
- SKEBS or SPPT pattern can now also be used to perturb the lateral boundaries
  - Either in conjunction with interior SKEBS perturbations or just as lateral boundary perturbation

# Importance of Bias

## Brier Skill Score



Berner et al., 2015



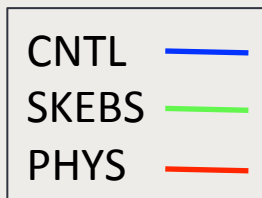
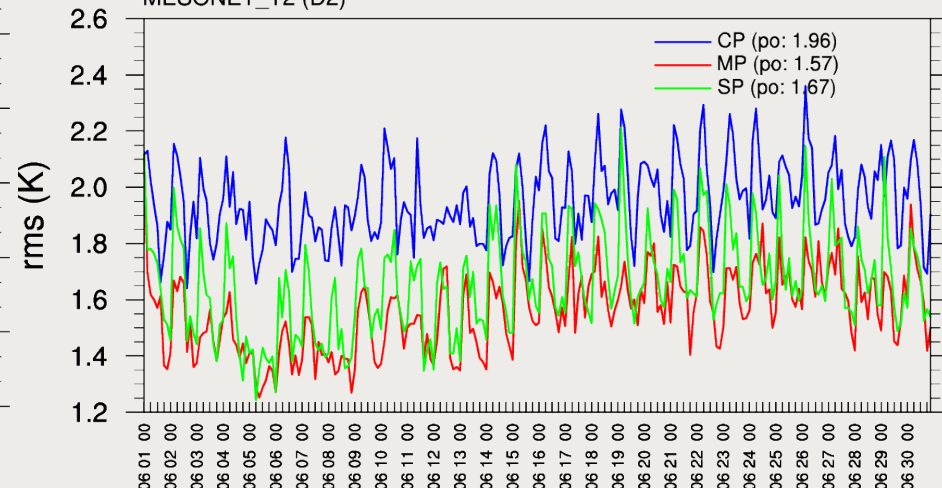
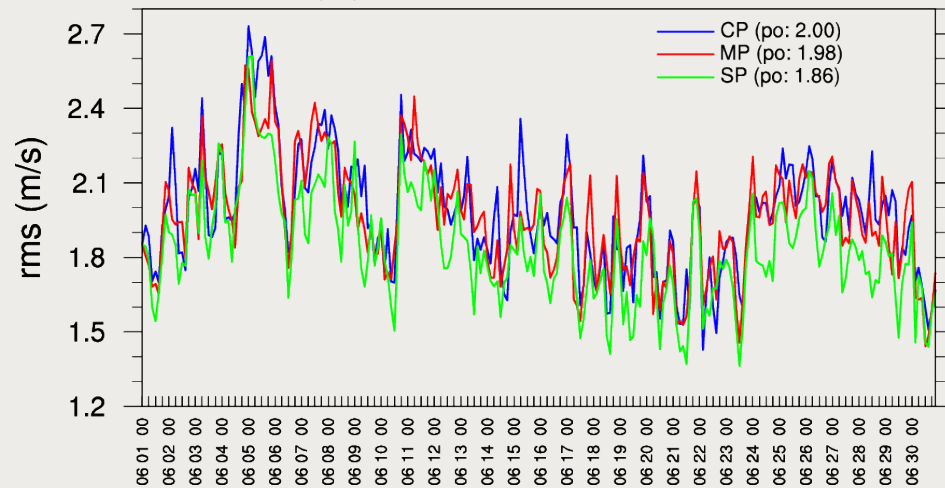
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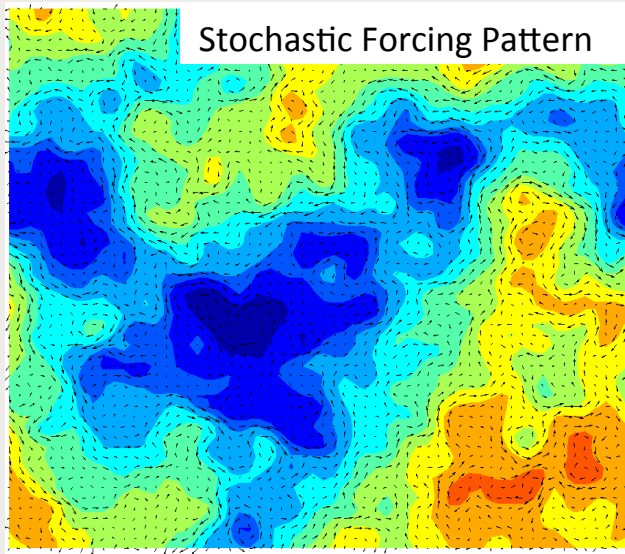
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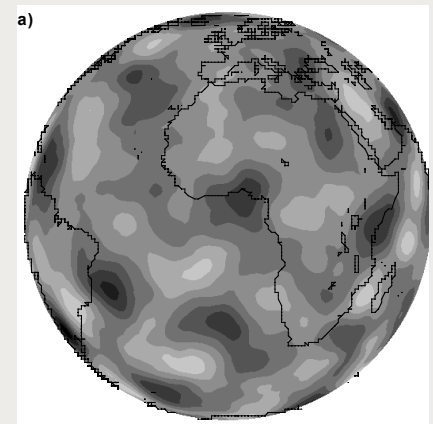
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- Rationale: A fraction of the subgrid-scale energy is scattered upscale and acts as **random streamfunction and temperature forcing** for the resolved-scale flow. Here: simply considered as additive noise with spatial and temporal correlations
- Similar to ECMWF global ensemble system (Shutts 2005, Berner et. al 08,09) but with constant dissipation rate and potential temperature perturbations (Berner et al. 2011).

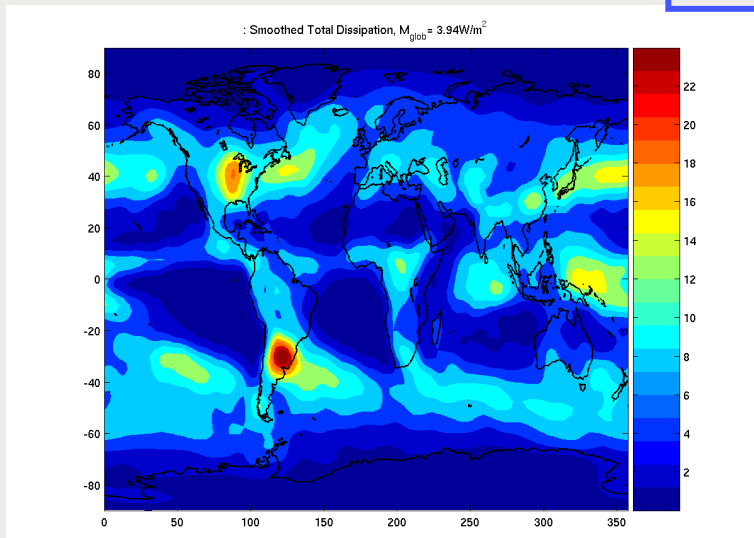
Stochastic-  
kinetic energy  
backscatter  
scheme (SKEBS)



# Stochastic kinetic-energy backscatter scheme

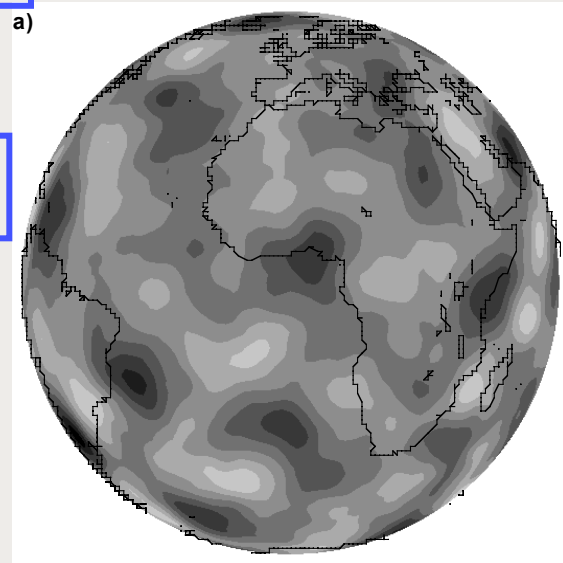
**Rationale: A fraction of the dissipated energy is scattered upscale and acts as streamfunction forcing for the resolved-scale flow**

$$\Delta\psi^* \propto \sqrt{D}\psi'$$



**Total Dissipation rate from numerical dissipation, convection, gravity/mountain wave drag.**

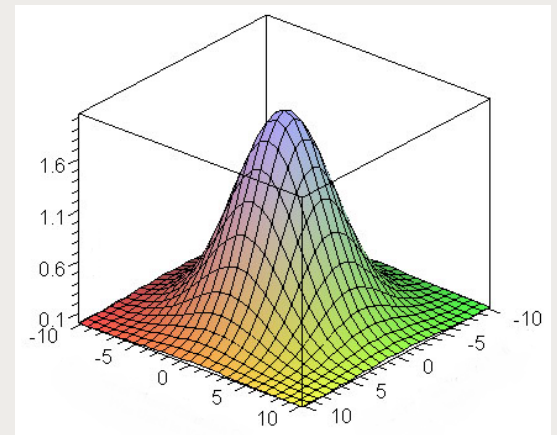
$$\psi'$$



**Spectral Markov chain: temporal and spatial correlations prescribed**

# Stochastically perturbed tendency scheme (SPPT)

Rationale: Especially as resolution increases, the equilibrium assumption is no longer valid and fluctuations of the subgrid-scale state should be sampled (Buizza et al. 1999, Palmer et al. 2009, Berner et al. 2014)



$$\frac{\partial X}{\partial t} = D_X + (r+1)P_X$$

Local tendency  
for variable X

Dynamical tendencies  
=> Resolved scales

Physical tendencies  
=> Unresolved scales

# Other mathematical relevant areas to the parameterization problem

- MMF/Superparameterization
- Emulators
- Stochastic mode reduction (MTV)
- Concept from Statistical Mechanics
- Concepts from Entropy